

Rules to determine which numbers are significant

1. All non-zero numbers are significant  
123,456 has \_\_\_\_ sig figs
2. Zeroes between non-zero digits are significant  
2008 has \_\_\_\_ sig figs  
50000000001 has \_\_\_\_ sig figs

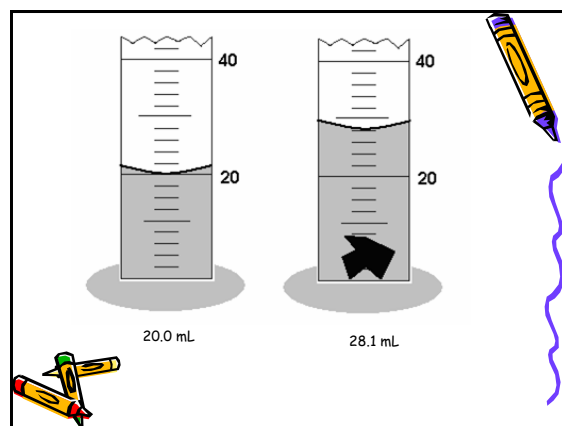
3. Zeroes to the left of the first non-zero number are not significant...they are only placeholders  
0.00000485 has \_\_\_\_ sig figs

4. Any zeroes at the end of a number that contains a decimal point ARE significant (trailing zeroes)  
900.00 has 5 sig figs

5. Zeroes at the end of a whole number that does not contain a decimal point are NOT significant  
8000 has \_\_\_\_ sig figs  
8000. has \_\_\_\_ sig figs

6. When numbers are in scientific notation, disregard the power of ten and use rules 1-5 on the decimal number only.  
 $2.05 \times$  has \_\_\_\_ sig figs

- The number of decimal places in a measurement depends on the piece of equipment used
- Researchers report all digits they are certain of plus one unit they are uncertain of (estimated number)



## Rules for Addition and Subtraction

- Your calculated value will have the same number of sig figs to the right of the decimal point as that of the least precise quantity

## Try these...

- $17.898 - 15.2 = 2.7$
- $32 + 19.4 = 51$

## Rules for Multiplication and Division

- The number of sig figs in the final calculated value will be the same as that of the quantity with the fewest number of sig figs

## Try these...

- $111 \div 5 = 22.2 \rightarrow 20$
- $12.57 \times 3.2 = 40.$
- $2.2 \times 4.59 \times 12.39 = 125 \rightarrow 130$

## Combined Problems

First apply addition/subtraction rules and then apply multiplication/division

$$(4.32 + 5.0) \times 768 = 7142 \rightarrow 7100$$

9.3

## Precision vs. Accuracy

- Precision: reproducibility or repeatability
- Accuracy: degree of closeness to an accepted value

